Features of Statistical Parsers

Mark Johnson Brown Laboratory for Linguistic Information Processing

CoNLL 2005

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Confessions of a bottom-feeder: Dredging in the Statistical Muck

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With much help from Eugene Charniak, Michael Collins and Matt Lease

Outline

- Goal: find features for identifying good parses
- Why is this difficult with generative statistical models?
- Reranking framework
- Conditional versus joint estimation
- Features for parse ranking
- Estimation procedures
- Experimental set-up
- Feature selection and evaluation

Features for accurate parsing

- Accurate parsing requires good features
- \Rightarrow need a *flexible* method for evaluating a *wide range* of features
 - *parse ranking framework* is current best method for doing this
 - + works with virtually any kind of representation
 - + features can encode virtually any kind of information (syntactic, lexical semantics, prosody, etc.)
 - + can exploit the currently best-available parsers
 - efficient algorithms are hard(-er) to design and implement
 - fishing expedition

Why not a generative statistical parser?

- Statistical parsers (Charniak, Collins) generate parses node by node
- Each step is conditioned on the structure already generated



- Encoding dependencies is as difficult as designing a feature-passing grammar (GPSG)
- Smoothing interacts in mysterious ways with these encodings
- Conditional estimation should produce better parsers *with our current lousy models*

Linear ranking framework



• The *highest scoring* parse

 $\hat{t} = \underset{t \in \mathcal{T}_{c}(s)}{\operatorname{argmax}} w \cdot f(t)$

is predicted correct



Linear ranking example

w = (-1, 2, 1)			
Candidate parse tree t	features $f(t)$	parse score $w \cdot f(t)$	
t ₁	(1, 3, 2)	7	
t_2	(2, 2, 1)	3	
• • •	•••	•••	

• Parser designer specifies *feature functions* $f = (f_1, \dots, f_m)$

- Feature weights $w = (w_1, \ldots, w_m)$ specify each feature's "importance"
- $\bullet\,$ n-best parser produces trees $\mathcal{T}_c(s)$ for each sentence s
- Feature functions f apply to each tree $t \in T_c(s)$, producing *feature values* $f(t) = (f_1(t), \dots, f_m(t))$
- Return *highest scoring tree*

$$\hat{t}(s) = \underset{t}{\operatorname{argmax}} w \cdot f(t) = \underset{t}{\operatorname{argmax}} \sum_{j=1}^{m} w_j f_j(t)$$

Linear ranking, statistics and machine learning

- Many models define the best candidate \hat{t} in terms of *a linear* combination of feature values $w \cdot f(t)$
 - Exponential, Log-linear, Gibbs models, MaxEnt

$$\begin{split} \mathrm{P}(t) &= \ \frac{1}{Z} \exp w \cdot f(t) \\ Z &= \ \sum_{t \in \mathcal{T}} \exp w \cdot f(t) \qquad (\text{partition function}) \\ \log \mathrm{P}(t) &= \ w \cdot f(t) - \log Z \end{split}$$

- Perceptron algorithm (including averaged version)
- Support Vector Machines
- Boosted decision stubs

PCFGs are exponential models

 $f_j(t)$ = number of times the jth rule is used in t w_j = log p_j , where p_j is probability of jth rule

$$f\left(\begin{array}{c} \overbrace{\mathsf{NP} \quad \mathsf{VP}} \\ | & | \\ \mathsf{rice \ grows} \end{array} \right) = \begin{bmatrix} \underbrace{1}_{S \to \mathrm{NP} \ \mathrm{VP} \ \mathrm{NP} \to \mathrm{rice} \ \mathrm{NP} \to \mathrm{bananas} \ \mathbf{VP} \to \mathrm{grows} \ \mathbf{VP} \to \mathrm{grow} \end{bmatrix}$$

$$P_{\mathrm{PCFG}}(t) = \prod_{j} p_{j}^{f_{j}(t)} = \prod_{j} \exp(w_{j})^{f_{j}(t)} = \prod_{j} \exp w_{j}f_{j}(t)$$

$$= \exp \sum_{j} w_{j}f_{j}(t) = \exp w \cdot f(t)$$

So a PCFG is just a special kind of exponential model with Z = 1.

Features in linear ranking models

- Features can be *any real-valued function* of parse t and sentence s
 - *counts* of number of times a particular structure appears in t
 - *log probabilities* from other models
 - * $\log P_c(t)$ is our most useful feature!
 - * generalizes reference distributions of MaxEnt models
- Subtracting a constant c(s) from a feature's value doesn't affect difference between parse scores in a linear model

 $w \cdot (f(t_1) - c(s)) - w \cdot (f(t_2) - c(s)) = w \cdot f(t_1) - w \cdot f(t_2)$

- features that don't vary on $\mathcal{T}_{c}(s)$ are useless
- subtract most frequently occuring value $c_j(s)$ for each feature f_j in sentence $s \Rightarrow$ sparser feature vectors

Getting the feature weights

S	$f(t^{\star}(s))$	$\{f(t): t \in \mathcal{T}_c(s), t \neq t^{\star}(s)\}$
sentence 1	(1, 3, 2)	(2,2,3) $(3,1,5)$ $(2,6,3)$
sentence 2	(7, 2, 1)	(2, 5, 5)
sentence 3	(2,4,2)	(1, 1, 7) $(7, 2, 1)$
		•••

- n-best parser produces trees $\mathcal{T}_c(s)$ for each sentence s
- Treebank gives *correct tree* $t^*(s) \in \mathcal{T}_c(s)$ for sentence s
- Feature functions f apply to each tree $t \in T_c(s)$, producing *feature values* $f(t) = (f_1(t), \dots, f_m(t))$
- Machine learning algorithm selects *feature weights* w to prefer $t^*(s)$ (e.g., so $w \cdot f(t^*(s))$ is greater than $w \cdot f(t')$ for other $t' \in \mathcal{T}_c(s)$)

Conditional ML estimation of w

- Conditional ML estimation selects w to make $t^*(s)$ as likely as possible compared to the trees in $T_c(s)$
- Same as conditional MaxEnt estimation

$$P_{w}(t|s) = \frac{1}{Z_{w}(s)} \exp w \cdot f(t) \qquad exponential \ model$$

$$Z_{w}(s) = \sum_{t' \in \mathcal{T}_{c}(s)} \exp w \cdot f(t')$$

$$D = ((s_{1}, t_{1}^{*}), \dots, (s_{n}, t_{n}^{*})) \qquad treebank \ training \ data$$

$$L_{D}(w) = \prod_{i=1}^{n} P_{w}(t_{i}^{*}|s_{i}) \qquad conditional \ likelihood \ of \ D$$

$$\widehat{w} = \underset{w}{\operatorname{argmax}} L_{D}(w)$$

(Joint) MLE for exponential models is hard



• Joint MLE selects
$$w$$
 to make t_i^* as likely as possible

- \mathcal{T} is set of all possible parses for all possible strings
- \mathcal{T} is infinite \Rightarrow cannot be enumerated $\Rightarrow Z_w$ cannot be calculated
- For a PCFG, Z_w and hence \hat{w} are easy to calculate, but ...
- in general $\partial L_D / \partial w_j$ and Z_w are *intractable analytically and numerically*
- Abney (1997) suggests a Monte-Carlo calculation method

Conditional MLE is easier

- The *conditional likelihood* of *w* is the *conditional probability* of the *hidden part* of the data (syntactic structure) t^{*} given its *visible part* (yield or terminal string) s
- The conditional likelihood can be numerically optimized because $\mathcal{T}_c(s)$ can be enumerated (by a parser)



Conditional vs joint estimation

- Joint MLE maximizes probability of training trees *and strings*
 - Generative statistical parsers usually use joint MLE
 - Joint MLE is simple to compute (relative frequency)
- Conditional MLE maximizes probability of trees given strings
 - Conditional estimation uses less information from the data
 - learns nothing from distribution of strings
 - ignores unambiguous sentences (!)

P(t,s) = P(t|s)P(s)

- Joint MLE should be better (lower variance) if your model correctly predicts the distribution of parses and strings
 - Any good probabilistic models of semantics and discourse?

Conditional vs joint MLE for PCFGs



Rule	count	rel freq	better vals
$\mathrm{VP} \to \mathrm{V}$	100	100/105	4/7
$\mathrm{VP} \to \mathrm{V} \; \mathrm{NP}$	3	3/105	1/7
$\mathrm{VP} \to \mathrm{VP} \; \mathrm{PP}$	2	2/105	$\mathbf{2/7}$
$\mathrm{NP} \to \mathrm{N}$	6	6/7	6/7
$\mathrm{NP} \to \mathrm{NP} \; \mathrm{PP}$	1	1/7	1/7

Regularization

- $\bullet~{\rm Overlearning} \Rightarrow {\rm add}~{\rm regularization}~R$ that penalizes "complex" models
- Useful with a wide range of objective functions

$$\begin{split} \widehat{w} &= \operatorname*{argmin}_{w} Q(w) + \mathsf{R}(w) \\ Q(w) &= -\log \mathsf{L}_{\mathsf{D}}(w) \quad \text{(objective function)} \\ \mathsf{R}(w) &= \mathsf{c} \sum_{j} |w_{j}|^{p} \quad \text{(regularizer)} \\ \mathsf{L}_{\mathsf{D}}(w) &= \prod_{i} \mathsf{P}_{w}(\mathsf{t}_{i}^{\star}|\mathsf{s}_{i}) \end{split}$$

- p = 2 known as the Gaussian prior
- p = 1 known as the Laplacian or exponential prior
 - sparse solutions
 - requires special care in optimization (Kazama and Tsujii, 2003)

If candidate parses don't include correct parse

- If $\mathcal{T}_c(s)$ doesn't include $t^*(s)$, choose parse $t^+(s)$ in $\mathcal{T}_c(s)$ closest to $t^*(s)$
- Maximize conditional likelihood of (t_1^+, \ldots, t_n^+)
- Closest parse $t_i^+ = \operatorname{argmax}_{t \in \mathcal{T}(s_i)} F_{t_i^*}(t)$ - $F_{t^*}(t)$ is *f-score* of t relative to t^*
- w chosen to maximize the regularized log conditional likelihood of t_i^+

$$L_D(w) = \prod_i P_w(t_i^+|s_i)$$



Multiple closest parses



- There can be more than one candidate parses $\mathcal{T}_c^+(t_i^*)$ equally close to the correct parse t_i^* : which one(s) should we declare to be the best parse?
- Picking a parse at random does not work as well as ...
- picking the parse with the highest Charniak parse probability, but ...
- *maximizing probability of all close parses* (EM-like scheme in Riezler '02) works best of all

$$L_{D}(w) = \prod_{i} P(\mathcal{T}_{c}(t_{i}^{\star})|\mathcal{T}_{c}(s_{i}))$$

Likelihood of multiple best parses

- Treebank $D = ((t_1^{\star}, s_1), \dots, (t_n^{\star}, s_n))$
- \bullet n-best candidates $\mathcal{T}_c(s_i)$ of sentence s_i
- $\mathcal{T}_c^+(t_i^\star) = \mathrm{trees} \ \mathrm{in} \ \mathcal{T}_c(s_i) \ \mathrm{with} \ \mathrm{max} \ \mathrm{f}\text{-score}$
- w chosen to maximize the regularized log conditional likelihood of $\mathcal{T}_{c}^{+}(t_{i}^{\star})$



$$\begin{split} \mathsf{L}_{\mathsf{D}}(w) &= \prod_{i} \mathsf{P}_{w}(\mathsf{T}_{\mathsf{c}}^{+}(\mathsf{t}_{i}^{\star}) | \mathcal{T}_{\mathsf{c}}(s_{i})) \\ &= \prod_{i} \frac{\sum_{t \in \mathcal{T}_{\mathsf{c}}^{+}(\mathsf{t}^{\star})} \exp w \cdot \mathsf{f}(\mathsf{t})}{\sum_{t \in \mathcal{T}_{\mathsf{c}}(s_{i})} \exp w \cdot \mathsf{f}(\mathsf{t})} \end{split}$$

• $\partial \log L/\partial w_j$ is a *difference in expectations* over $\mathcal{T}_c^+(t^*)$ and $\mathcal{T}_c(s_i)$

Features for ranking parses

- Features can be any real-valued function of parse trees
- In these experiments the features come in two kinds:
 - The logarithm of the tree's probability estimated by the Charniak parser
 - The number of times a particular configuration appears in the parse

Which ones improve parsing accuracy the most?

Lexicalized and parent-annotated rules

- *Lexicalization* associates each constituent with its head
- Ancestor annotation provides a little "vertical context"
- *Context annotation* indicates constructions that only occur in main clause (c.f., Emonds)



Functional and lexical heads

- There are at least two sensible notions of head (c.f., Grimshaw)
 - *Functional heads:* determiners of NPs, auxiliary verbs of VPs, etc.
 - Lexical heads: rightmost Ns of NPs, main verbs in VPs, etc.
- In a Maxent model, it is easy to use both!



Functional-lexical head dependencies

- The SynSemHeads features collect pairs of functional and lexical heads of phrases
- This captures *number agreement in NPs* and aspects of other head-to-head dependencies
- Parameterized by *lexicalization*



n-gram rule features generalize rules

- Collects *adjacent constituents* in a local tree
- Also includes *relationship to head* (e.g., adjacent? left or right?)
- Parameterized by *ancestor-annotation*, *lexicalization* and *head-type*



Head to head dependencies

- Head-to-head dependencies track the function-argument dependencies in a tree
- Co-ordination leads to phrases with multiple heads or functors
- Parameterized by *head type*, *number of governors* and *lexicalization*



Head trees record all dependencies

- Head trees consist of a (lexical) head, all of its projections and (optionally) all of the siblings of these nodes
- correspond roughly to TAG elementary trees
- parameterized by *head type*, *number of sister nodes* and *lexicalization*



Rightmost branch bias

- The RightBranch feature's value is the number of nodes on the right-most branch (ignoring punctuation) (c.f., Charniak 00)
- Reflects the tendancy toward right branching in English
- Only 2 different features, but very useful in final model!



Constituent Heavyness and location

• Heavyness measures the constituent's category, its (binned) size and (binned) closeness to the end of the sentence



> 5 words

=1 punctuation

Coordination parallelism (1)

• A CoPar feature indicates the depth to which adjacent conjuncts are parallel



Coordination parallelism (2)

• The CoLenPar feature indicates the difference in length in adjacent conjuncts and whether this pair contains the last conjunct.



CoLenPar feature: (2,true) 6 words

Word

- A Word feature is a word plus n of its parents (c.f., Klein and Manning's non-lexicalized PCFG)
- A WProj feature is a word plus all of its (maximal projection) parents, up to its governor's maximal projection



Neighbours

• A Neighbours feature indicates the node's category, its binned length and j left and k right POS tags for $j,k\leq 1$



 $> 5 \ words$

Tree n-gram

- A tree n-gram feature is a tree fragment that connect sequences of adjacent n words, for n = 2, 3, 4 (c.f. Bod's DOP models)
- lexicalized and non-lexicalized variants



Experimental setup

- Feature tuning experiments done using Collins' split: sections 2-19 as train, 20-21 as dev and 24 as test
- $T_c(s)$ computed using Charniak 50-best parser
- Features which vary on less than 5 sentences pruned
- Optimization performed using LMVM optimizer from Petsc/TAO optimization package
- Regularizer constant c adjusted to maximize f-score on dev

f-score vs. n-best beam size



- F-score of Charniak's most probable parse = 0.896
- Oracle f-score of Charniak's 50-best parses = 0.965 (66% redn)
- oracle f-score continues to rise at wide beam widths
- no guarantee that reranker performance improves with beam width!

Rank of best parse



- Charniak parser's most likely parse is the best parse 41% of the time
- Reranker picks Charniak parser's most likely parse 58% of the time

Evaluating features

- The feature weights are not that indicative of how important a feature is
- The MaxEnt ranker with regularizer tuning takes approx 1 day to train
- The *averaged perceptron* algorithm takes approximately 2 minutes
 - used in experiments comparing different sets of features
 - all closest parses $\mathcal{T}_c^+(t^*)$ count as "correct"
 - Used to compare models with the following features:
 NLogP Rule NGram Word WProj RightBranch Heavy
 NGramTree HeadTree Heads Neighbours CoPar CoLenPar

Adding one feature class



- Averaged perceptron baseline with only base parser log prob feature
 - section 20–21 f-score = 0.894913
 - section 24 f-score = 0.889901

Subtracting one feature class



- Averaged perceptron baseline with all features
 - section 20–21 f-score = 0.906806
 - section 24 f-score = 0.902782

Feature selection is hard



- Greedy feature selection using *averaged perceptron* optimizing f-score on sec 20–21
- All models also evaluated on section 24

Comparing estimators

• Training on sections 2–19, regularizer tuned on 20–21, evaluate on 24

Estimator	# features	sec 20-21	$\sec 24$
exponential model, $p = 2$	$670,\!688$	0.9085	0.9037
exponential model, $p = 1$	$14,\!549$	0.9078	$0.9024 \ (p = 0.137)$
averaged perceptron	$523,\!374$	0.9068	$0.9028 \ (p = 0.528)$
expected f-score	$670,\!688$	0.9084	$0.9029 \ (p = 0.313)$

• Because the exponential model with p = 2 is usually the first model I test a new feature on, the features may be biased to work well with it.

Averaged perceptron vs Exponentional model



- Multiple runs of *averaged perceptron* on data in random order
- Exponentional model p = 2 adjusting regularizer weight c

Class scaling with averaged perceptron



- Every feature class is associated with its own scaling factor
- Scaling factors adjusted to maximize av perceptron f-score on sec 20-21
- (Different features to other experiments)

Expected f-score

- The *expected f-score* is computed by calculating the *expected number of nodes* and the *expected number of correct nodes* of the parse trees in the corpus under the exponential model
- This should take *the size of the sentence* into account during training
- The expected f-score can be calculated and *differentiatiated wrt to* w



Results on all training data

- Features must vary on parses of at least 5 sentences in training data
- In this experiment, 730,134 features
- Exponential model trained on sections 2-21
- Gaussian regularization p = 2, constant selected to optimize f-score on section 24
- On section 23: recall = 90.78, precision = 91.51, f-score = 91.15
- Will be available on the web this week

Conclusion and future work

- Good features and a good machine learning algorithm can produce a state-of-the-art parser
- Good candidate trees are a big help!
- The parse ranking framework lets us explore lots of different kinds of features
 - what a pity it's not clear which ones are important
- Future work
 - different kinds of information (prosody, morphology, word classes)
 - richer representations (empty nodes, predicate-argument structures)
 - build discriminatively-estimated features back into Charniak parser

Sample parser errors















Significance testing (av. perceptron)

comparing exponential model p = 2 with averaged perceptron

- nsentences = 1345 in test corpus.
- model 1 nfeatures = 670688, corpus f-score = 0.9037
- model 2 nfeatures = 670688, corpus f-score = 0.902782
- permutation test significance of corpus f-score difference = 0.58234
- model 1 better on 214 = 15.9108% sentences
- model 2 better on 170 = 12.6394% sentences
- models 1 and 2 tied on 961 = 71% sentences
- binomial 2-sided significance of sentence-by-sentence comparison = 0.0280806bootstrap 95% confidence interval for model 1 f-scores = $(0.897672 \ 0.9096)$
- bootstrap 95% confidence interval for model 2 f-scores = $(0.896832 \ 0.908697)$

Significance testing (p=1)

comparing exponential models p = 2 with p = 1

- nsentences = 1345 in test corpus.
- model 1 nfeatures = 670688, corpus f-score = 0.9037
- model 2 nfeatures = 670688, corpus f-score = 0.902357
- permutation test significance of corpus f-score difference = 0.22695
- model 1 better on 121 = 8.99628% sentences
- model 2 better on 98 = 7.28625% sentences
- models 1 and 2 tied on 1126 = 83% sentences

binomial 2-sided significance of sentence-by-sentence comparison = 0.136934bootstrap 95% confidence interval for model 1 f-scores = $(0.897672 \ 0.9096)$ bootstrap 95% confidence interval for model 2 f-scores = $(0.896315 \ 0.908321)$

Significance testing (expected f-score)

comparing exponential model p = 2 with expected f-score

- nsentences = 1345 in test corpus.
- model 1 nfeatures = 670688, corpus f-score = 0.9037
- model 2 nfeatures = 670688, corpus f-score = 0.902865
- permutation test significance of corpus f-score difference = 0.59533
- model 1 better on 169 = 12.5651% sentences
- model 2 better on 150 = 11.1524% sentences
- models 1 and 2 tied on 1026 = 76% sentences
- binomial 2-sided significance of sentence-by-sentence comparison = 0.313546bootstrap 95% confidence interval for model 1 f-scores = $(0.897672 \ 0.9096)$ bootstrap 95% confidence interval for model 2 f-scores = $(0.89686 \ 0.908797)$

Features from correct/incorrect parses only

- Features that varied on less than 5 sentences were pruned
- Exponential model, p = 2

Source	# features	20-21 f-score	24 f-score
All parses	$670,\!688$	0.9085	0.9037
Correct parses	$173,\!409$	0.9087	0.9043
Incorrect parses	$670,\!544$	0.9085	0.9036